### Mass reconstruction and tests for systematics

Catherine Heymans Institute for Astronomy, University of Edinburgh, UK

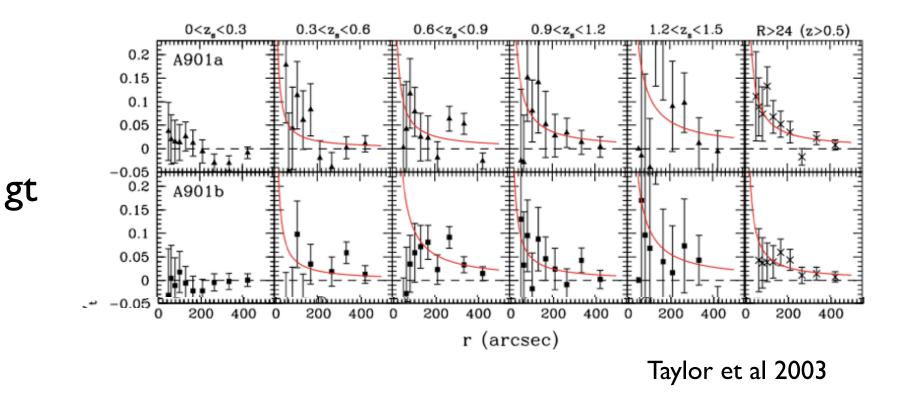
DUEL Weak Lensing School September 2009

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- You have a shear catalogue with photometric redshifts. What are you going to do with it?
- Mass reconstruction
- Systematics
- Todays Practical

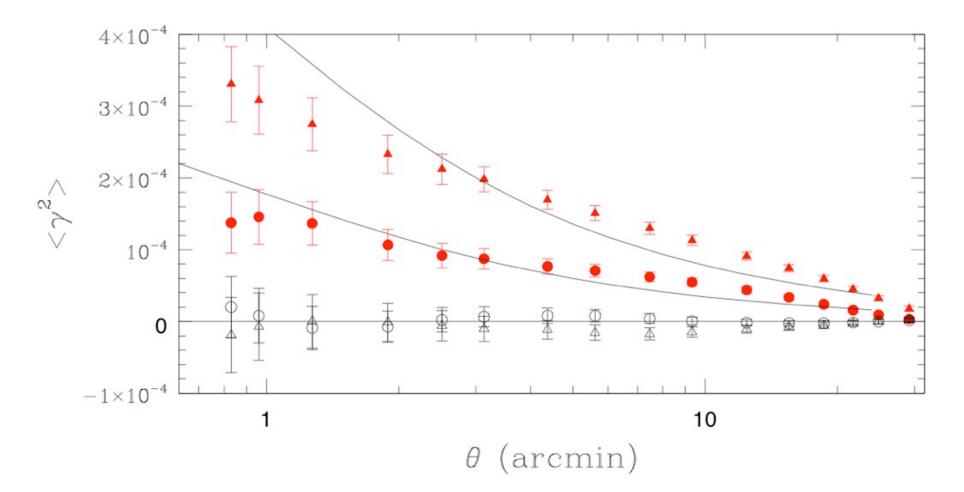
### Lensing + photometric redshifts

- With a shear catalogue and a photo-z catalogue you could:
  - Investigate the shear-ratio test (constrain cosmology)



### Lensing + photometric redshifts

• Cosmic shear tomography



Sembolini et al. First results from CFHTLS Deep data

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Lecture I: Weak lensing for Cosmology

# The "Bullet Cluster" (Clowe, Bradac et al)

Dark Matter

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Lecture 2: Mass reconstruction and systematics

Hot Gas

From week I we know the relationship between

- convergence (K the projected surface mass density)
- shear(γ the measurable lensing distortion)
- lensing potential ( $\Psi$ )

$$\kappa(\boldsymbol{\theta}) = \frac{1}{2}(\psi_{,11} + \psi_{,22}) \quad \gamma_1(\boldsymbol{\theta}) = \frac{1}{2}(\psi_{,11} - \psi_{,22}) \quad \gamma_2(\boldsymbol{\theta}) = \psi_{,12}$$

We want to reconstruct the mass distribution(K) but can only measure the shear (Y)

Invert these equations to recover the mass from the shear

### From shapes to mass

We solve these equations in Fourier Space:

$$\begin{split} \psi(\theta) &= \int dk \, e^{ik.\theta} \hat{\psi}(k) \\ \text{recalling:} \qquad \psi_{,j} &\to ik_j \hat{\psi}(k) \end{split}$$

$$\kappa(\boldsymbol{\theta}) = \frac{1}{2}(\psi_{,11} + \psi_{,22}) \quad \gamma_1(\boldsymbol{\theta}) = \frac{1}{2}(\psi_{,11} - \psi_{,22}) \quad \gamma_2(\boldsymbol{\theta}) = \psi_{,12}$$

The Fourier pairs are therefore:

$$\hat{\kappa}(\mathbf{k}) = -\frac{1}{2}(k_1^2 + k_2^2)\hat{\psi}(\mathbf{k}) \quad \hat{\gamma}_1(\mathbf{k}) = -\frac{1}{2}(k_1^2 - k_2^2)\hat{\psi}(\mathbf{k}) \quad \hat{\gamma}_2(\mathbf{k}) = -k_1k_2\hat{\psi}(\mathbf{k})$$

### From shapes to mass

Finally:

$$\hat{\kappa} = \frac{\left(k_1^2 - k_2^2\right)\hat{\gamma_1} + 2k_1k_2\,\hat{\gamma_2}}{k^2}$$

- One therefore simply takes the Fourier transform of the shear fields, multiply by the coefficients, and take the inverse Fourier transform to get a mass map.
  - I. How do we create a continuous shear field from a galaxy catalogue?
  - 2. How do we take a FT of a finite field?
  - 3. We measure the reduced shear [g =  $\gamma$  / (1+ $\kappa$ )] not the true shear  $\gamma$

### Mass reconstruction methods

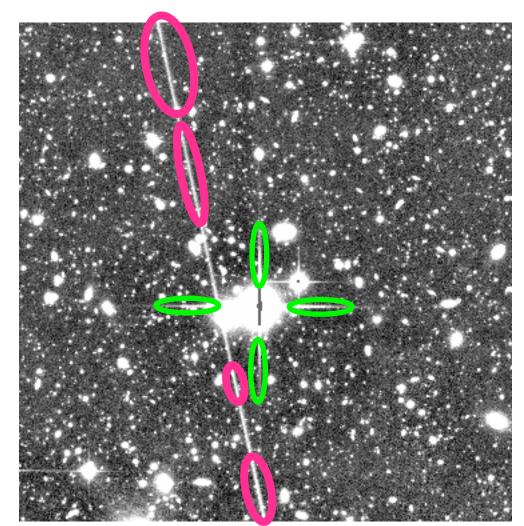
- There are many mass reconstruction methods in the literature
- They differ in how they;
  - I. Solve the equations (Fourier with zero-padding, or maximum likelihood lensing potential analysis)
  - 2. Smooth the data (Gaussian, adaptive, wavelets)
  - Include the reduced shear (assume g = γ or calculate it exactly)

 Some References: Kaiser & Squires 1993, Seitz and Schneider 1995 and 1996, Lombardi & Bertin 1998, Van Waerbeke 2000, Starck et al 2006, Khiabanian & Dell'Antonio 2008

### Kaiser and Squires 1993

- In the practical we'll be using the simplest Fourier method from Kaiser and Squires 1993
- Reasons to use it:
  - It's very fast and relatively easy to use
  - It's public software available in Nick Kaisers imcat package (<u>http://www.ifa.hawaii.edu/~kaiser/imcat/</u>)
- Reasons not to use it:
  - It assumes g = γ which is not a good assumption in the cores of clusters
  - It does not include any knowledge of a mask
- Typically this method is used to provide the "first guess" of the mass distribution which is then iterated on using a maximum likelihood method

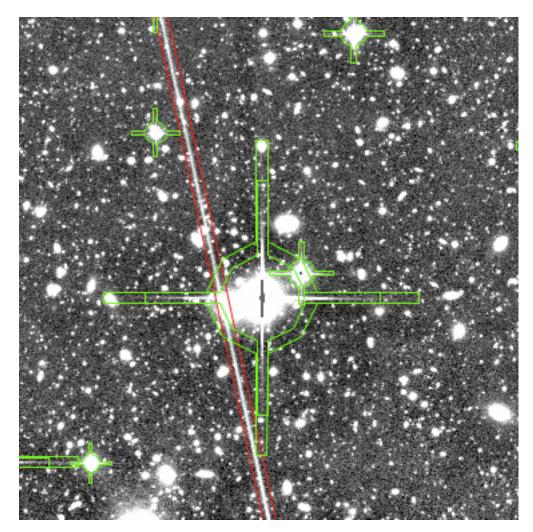
- A common mistake in weak lensing analyses is to include objects in the catalogue that aren't galaxies
- Satellite trails are detected by source extraction software as many discrete aligned objects
- Diffraction spikes from bright stars give a negative cluster signal!
- These objects need to be detected and removed



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### Theli automated masking

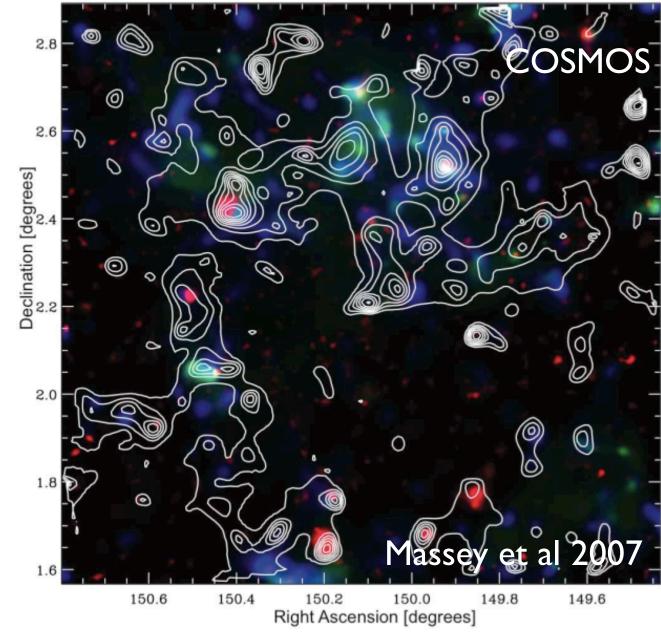
- Masking is automated within Theli (to some level)
  - Stellar catalogues can be used to identify bright stars and a default mask can be scaled based on its magnitude
  - Bright satellite trails can be identified by a series of connected objects
- Remember to mask your data, objects like these will seriously degrade your lensing analysis



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### Systematics, noise or is that a dark halo?

"We may need to finetune our ideas of how galaxies form" Eric Linder in USA Today ?



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### **PSF** residuals

• The distortion induced by the atmosphere and telescope is more than an order of magnitude larger that the distortion that you're trying to measure - have you correctly removed it?

$$\gamma_i' = \gamma_i + a_i e_i^* \tag{3.65}$$

An estimate of the shear correlation measures the true shear correlation plus a systematic PSF component,

$$\langle \gamma_i' \gamma_j' \rangle = \langle \gamma_i \gamma_j \rangle + a_i a_j \langle e_i^* e_j^* \rangle.$$
(3.66)

Noting that

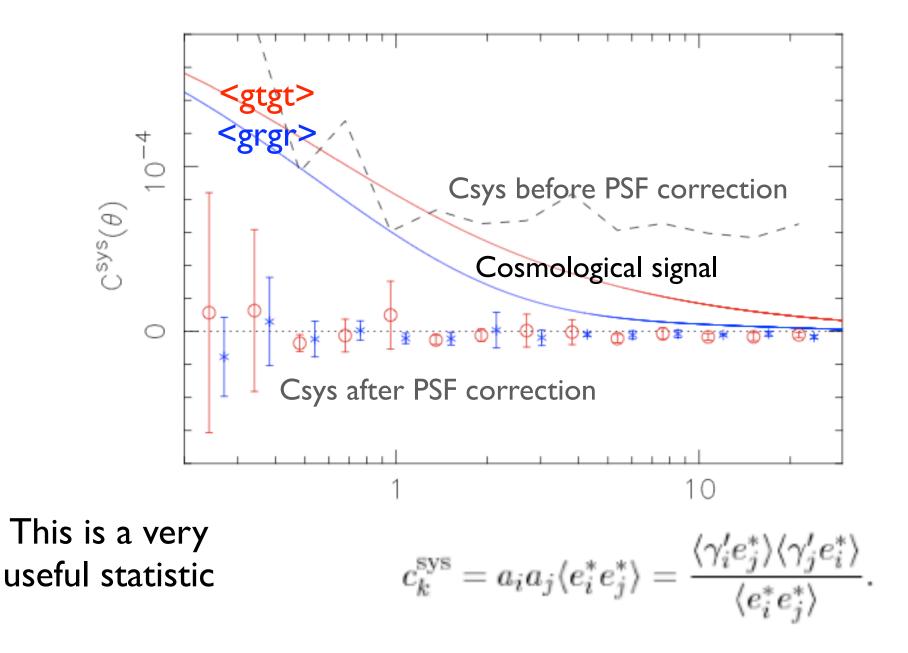
$$\langle \gamma'_i e^*_j \rangle = a_i \langle e^*_i e^*_j \rangle, \qquad (3.67)$$

as  $\langle \gamma_i e_j^* \rangle = 0$ , we find that uncorrected ellipticities add a component to the measured correlation function  $c_k^{\text{sys}}$  where

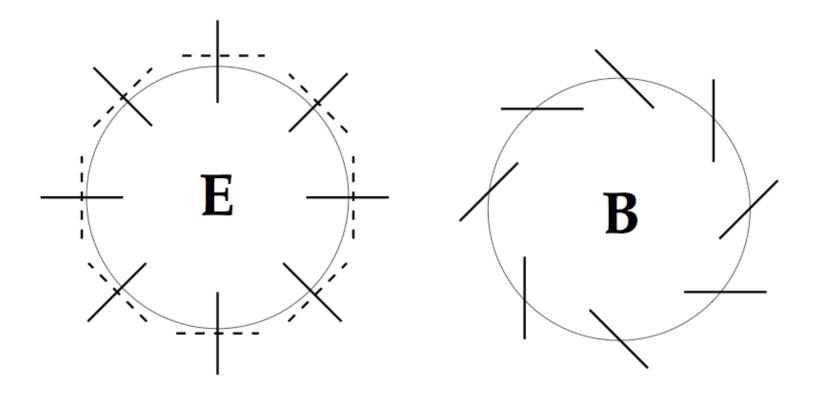
$$c_k^{\text{sys}} = a_i a_j \langle e_i^* e_j^* \rangle = \frac{\langle \gamma_i' e_j^* \rangle \langle \gamma_j' e_i^* \rangle}{\langle e_i^* e_j^* \rangle}.$$
(3.68)

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### **PSF** residuals

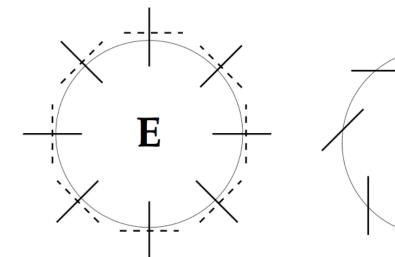


Pure lensing only produces E-modes. If there are Bmodes in your analysis on large scales these can only arise from systematics



### E/B decomposition the easy way

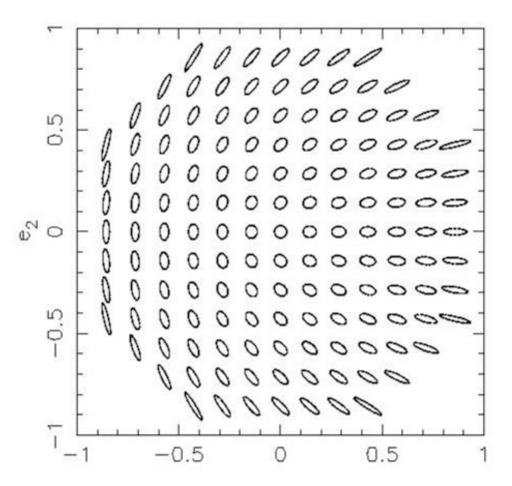
B



• If you rotate all your galaxies by 45 degrees you swap your E and B mode.

$$e_1^{rot} = e_2$$
$$e_2^{rot} = -e_1$$

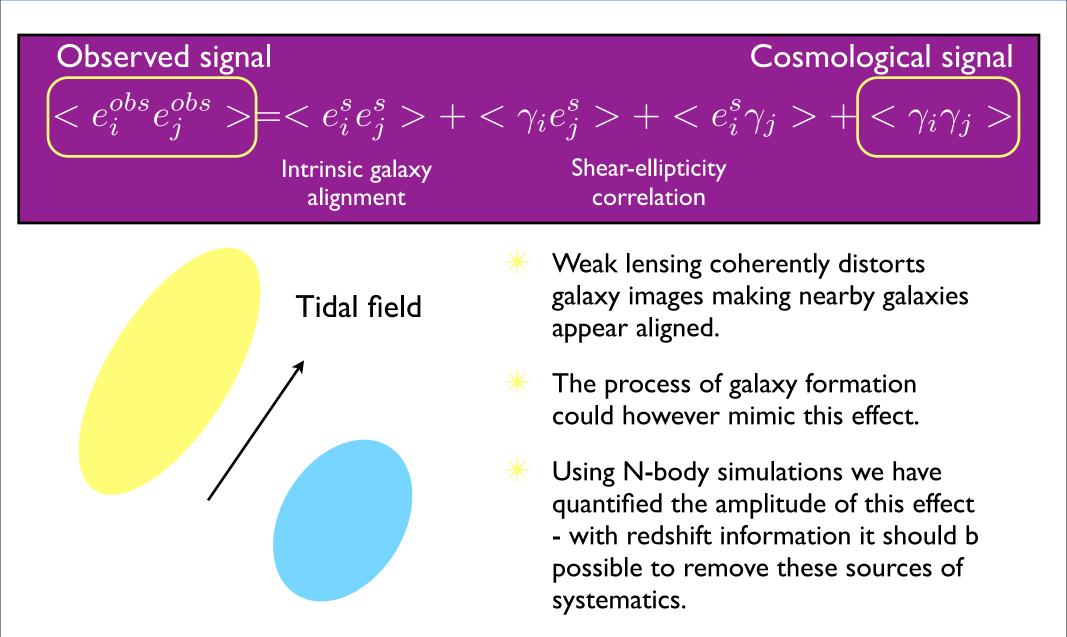
 Repeating your analysis with your rotated catalogue you create a Bmode analysis.



See Schneider, Van Waerbeke & Mellier 2002 for 2pt statistical E/B decomposition

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## Physical systematics:



For more info see: Heymans et al 2006 and references within

#### • From the Dark Energy Task Force (Albrecht et al)

- If systematic errors can be controlled, weak lensing is 'likely to be the most powerful individual ... technique, and also the most powerful component in a multi-technique program' for studying Dark Energy
- It's very important that you understand your systematics and include them in your error budget. Too many lensing papers have been published to date without full systematic error analysis.

### http://www.roe.ac.uk/~heymans/KSBf90\_for\_DUEL/Practical\_2.html



#### Practical 2:

In this Practical you will use <u>KSBf90</u> to analyse CFHTLS Deep data and produce a dark matter mass map! It follows the same initial steps (1-6) as Practical 1. Don't forget to edit the <u>fitsname</u> in your scripts to the D1 data name D1\_i\_V1.6A\_Paris.cut.fits!

1) Download and unpack KSBf90.tar if you haven't done this already

This contains a Makefile and pre-compiled 32-bit Linux executables. At the IAP only some of the computers have the <u>cfitsio</u> routines installed so the Makefile will not compile on all machines. However you should be able to use the pre-compiled executables.

#### 2) Set your directories as follows (edit)

<pre>seteny dataDIR /Users/heymans/Paris_DUEL/images seteny CATDIR /Users/heymans/Paris_DUEL/catalogues</pre>	# Where your Dl images are # Where your Dl catalogues
are <u>setenv</u> KSBDIR /Users/heymans/Paris_DUEL/KSBf90 is	# Where your KSBf90 software

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