

# The Cosmic Warzone

Detecting Dark Matter with Bulleticity

David Harvey

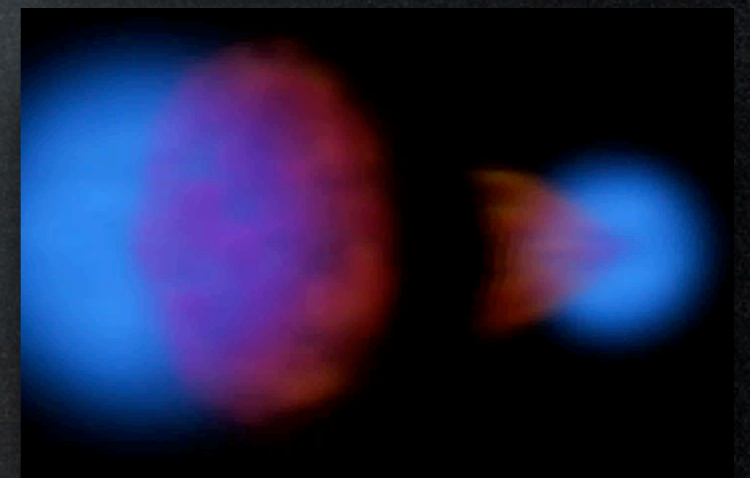
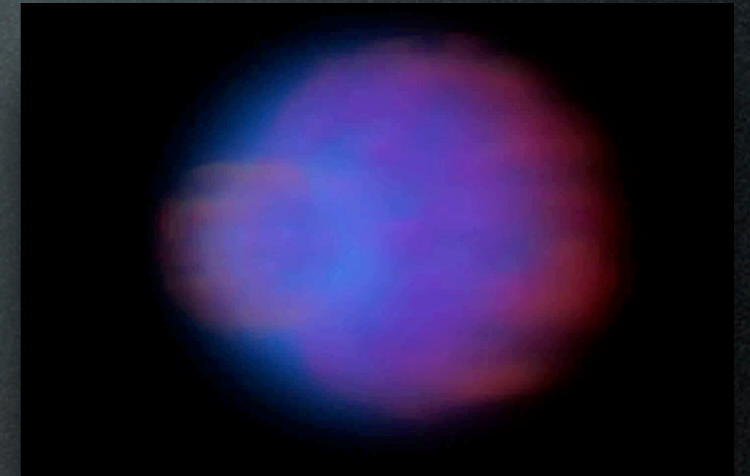
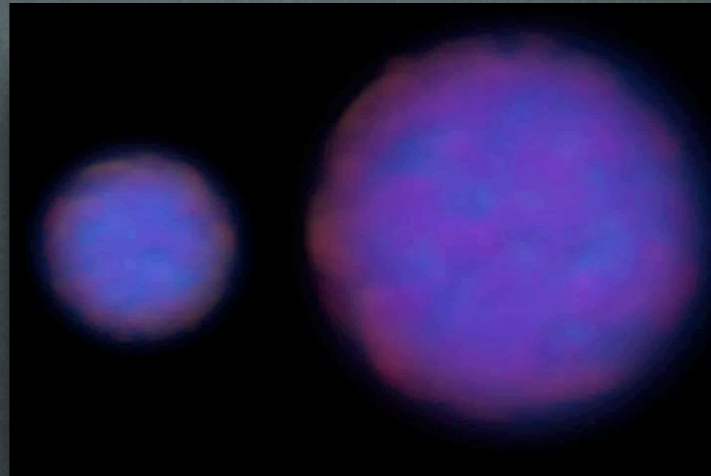
Richard Massey, Tom Kitching, Andy Taylor

University of Edinburgh



# Measuring the fundamental properties of Dark Matter

- Current understanding, models & constraints
- Using astronomical events to understand fundamental properties



$$\tau = \Sigma \sigma / m$$

$$\frac{1}{\Sigma} > \sigma / m$$



What are the benchmark estimations?

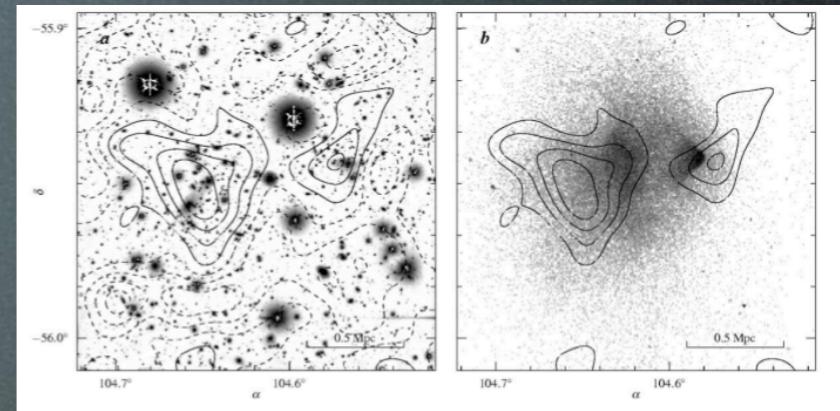


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Bullet cluster

$$\sigma / m < 1 \text{ cm}^2 \text{ g}^{-1}$$

1E 0657-56, Markevitch et al, 2004



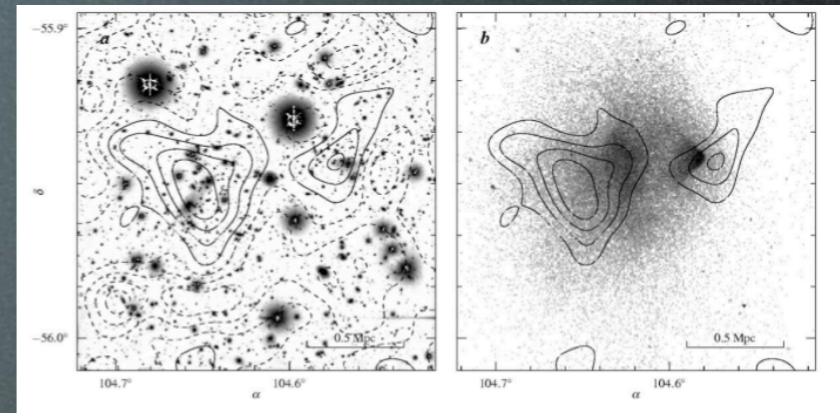


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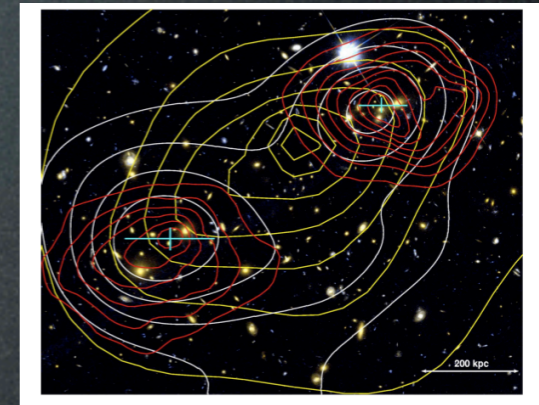
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MACSJ0025-1222.4

$$\sigma / m < 4 \text{ cm}^2 \text{ g}^{-1}$$

Bradac et al, 2008



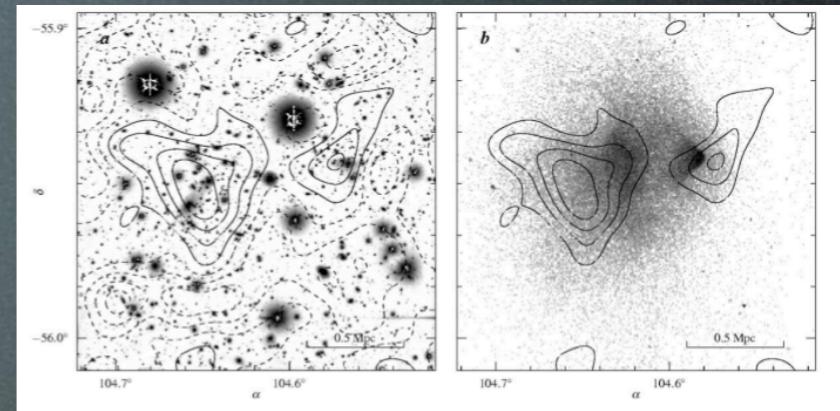


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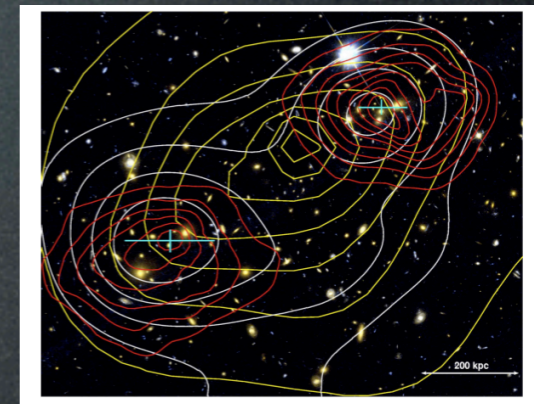
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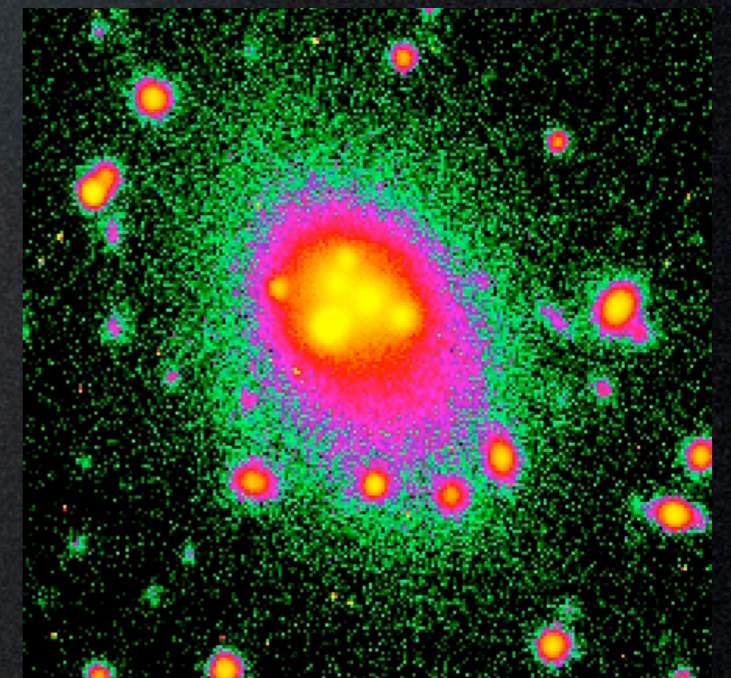


Abell 3827

$$\sigma / m > 4.5 \times 10^{-7} (t / 10^{10} \text{ yr})^{-2} \text{ cm}^2 \text{ g}^{-1}$$

Williams & Saha, 2011

$$d \sim (a_{st} - a_{dm}) t^2$$



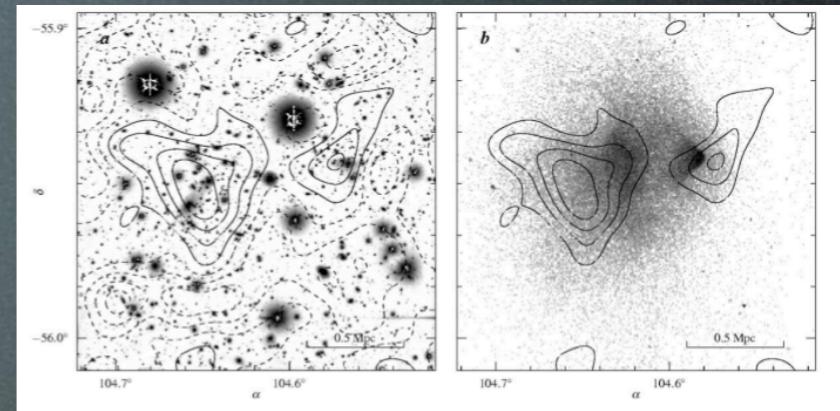


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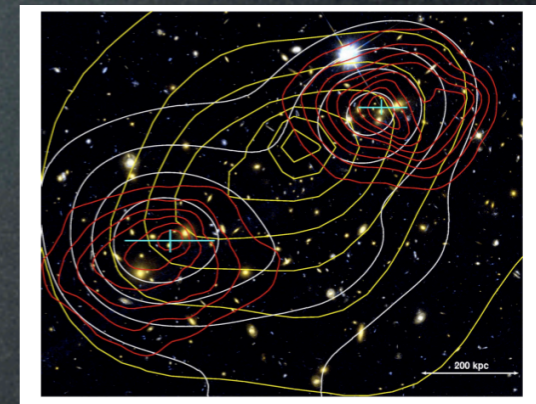
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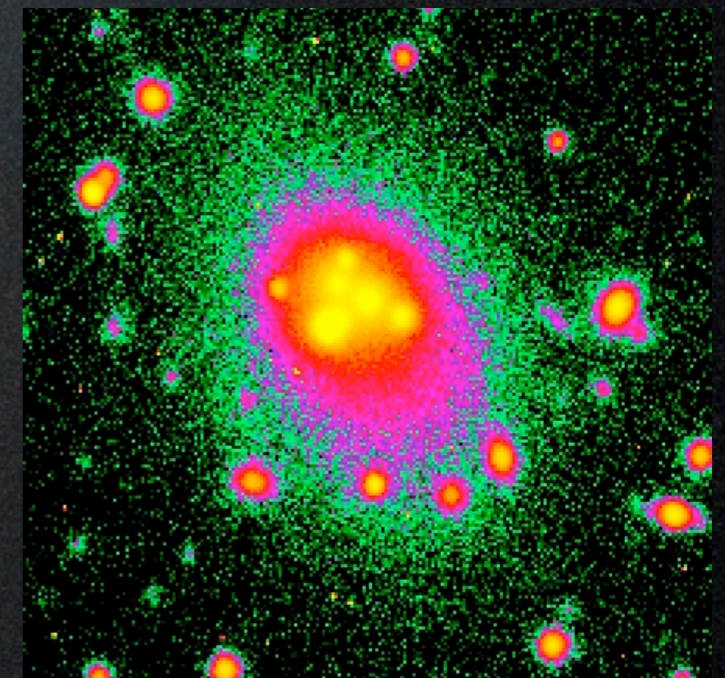


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Irregular and rare clusters!!!!



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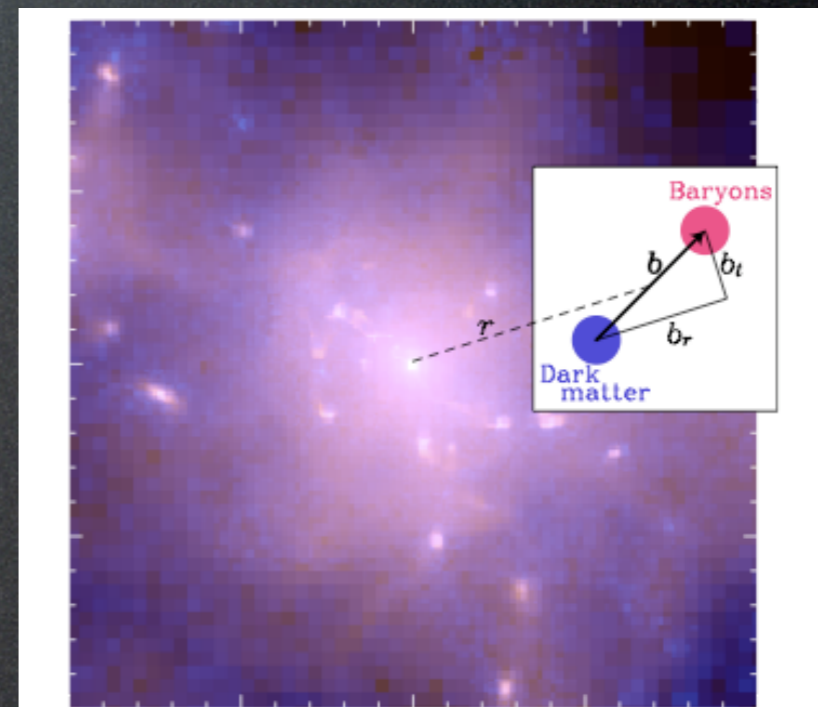
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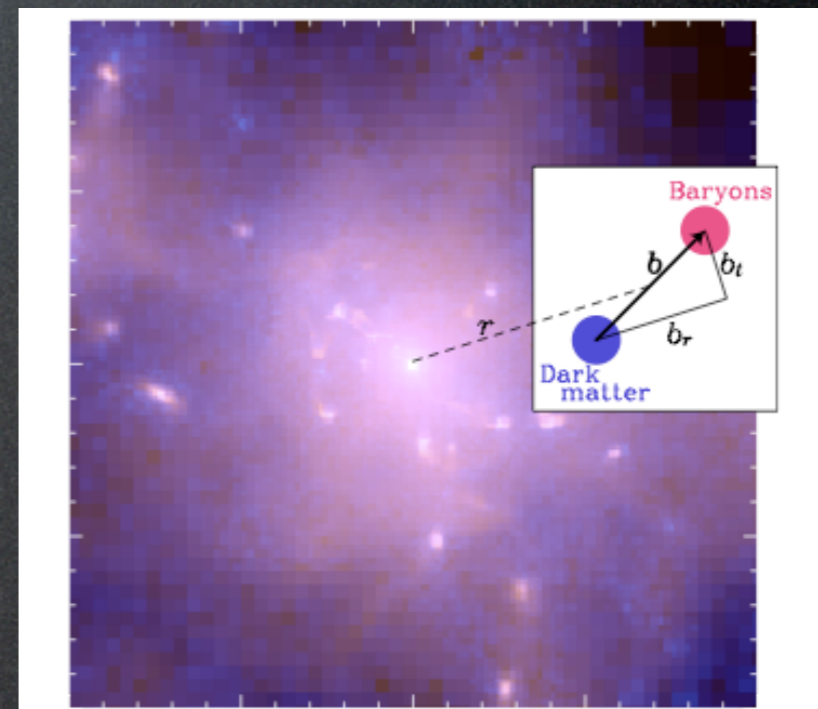
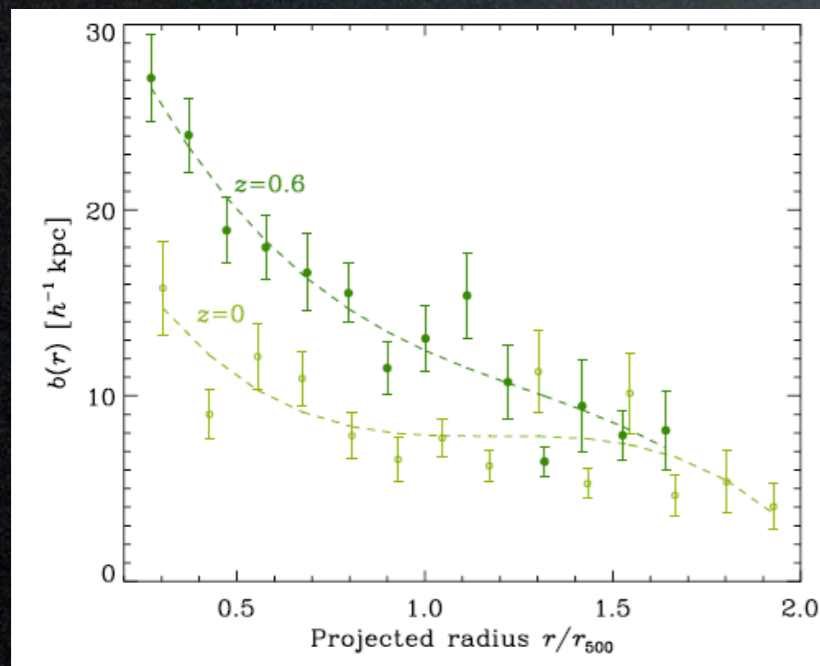
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Massey et al, 2010



How do we detect the offset between  
Subhalo's DM and baryonic gas?

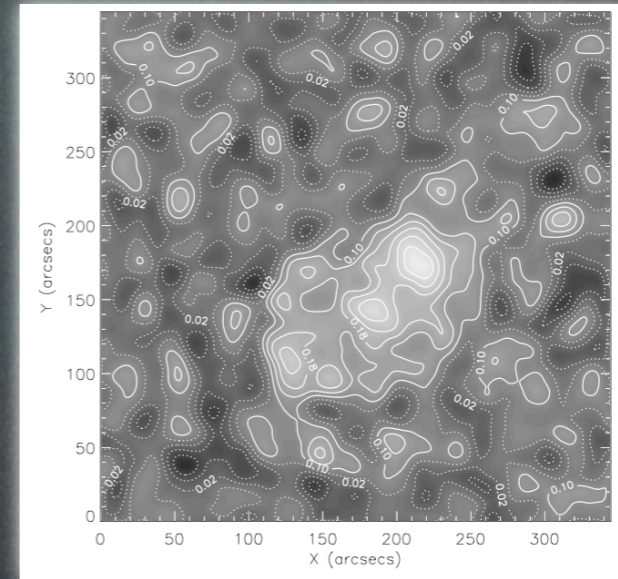


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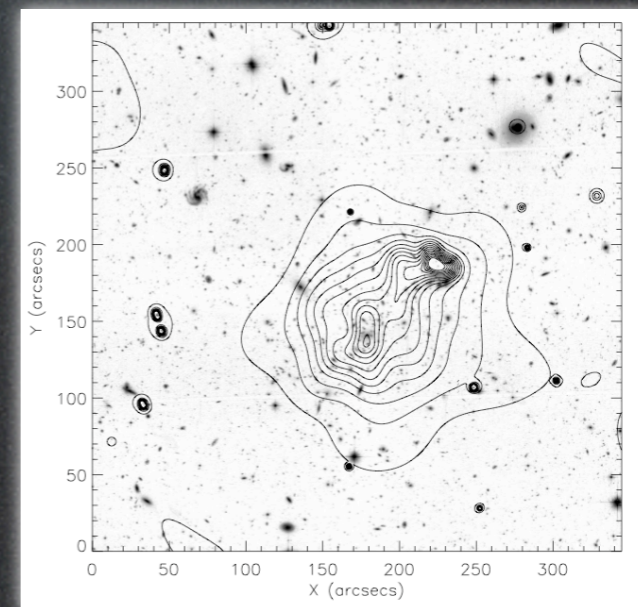
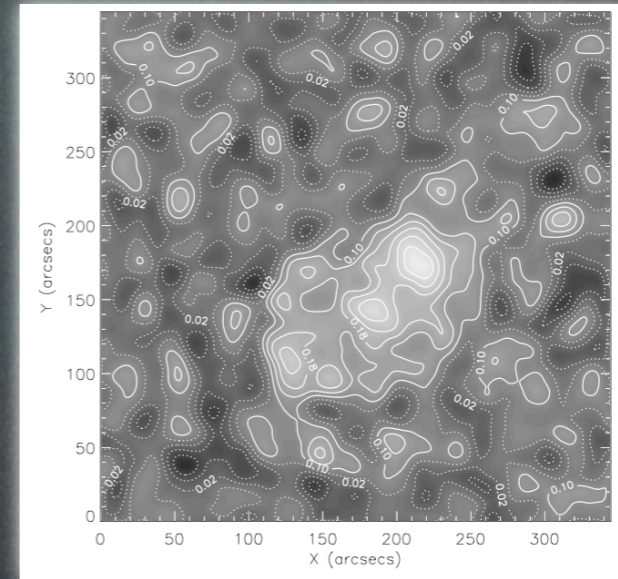
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- X-rays
  - High energy photons from intra cluster medium

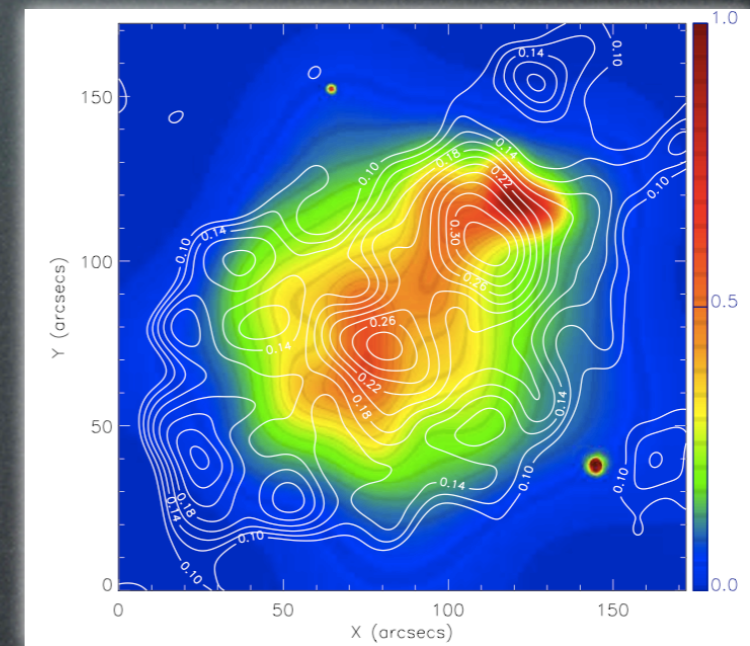


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- Using priors to inject information

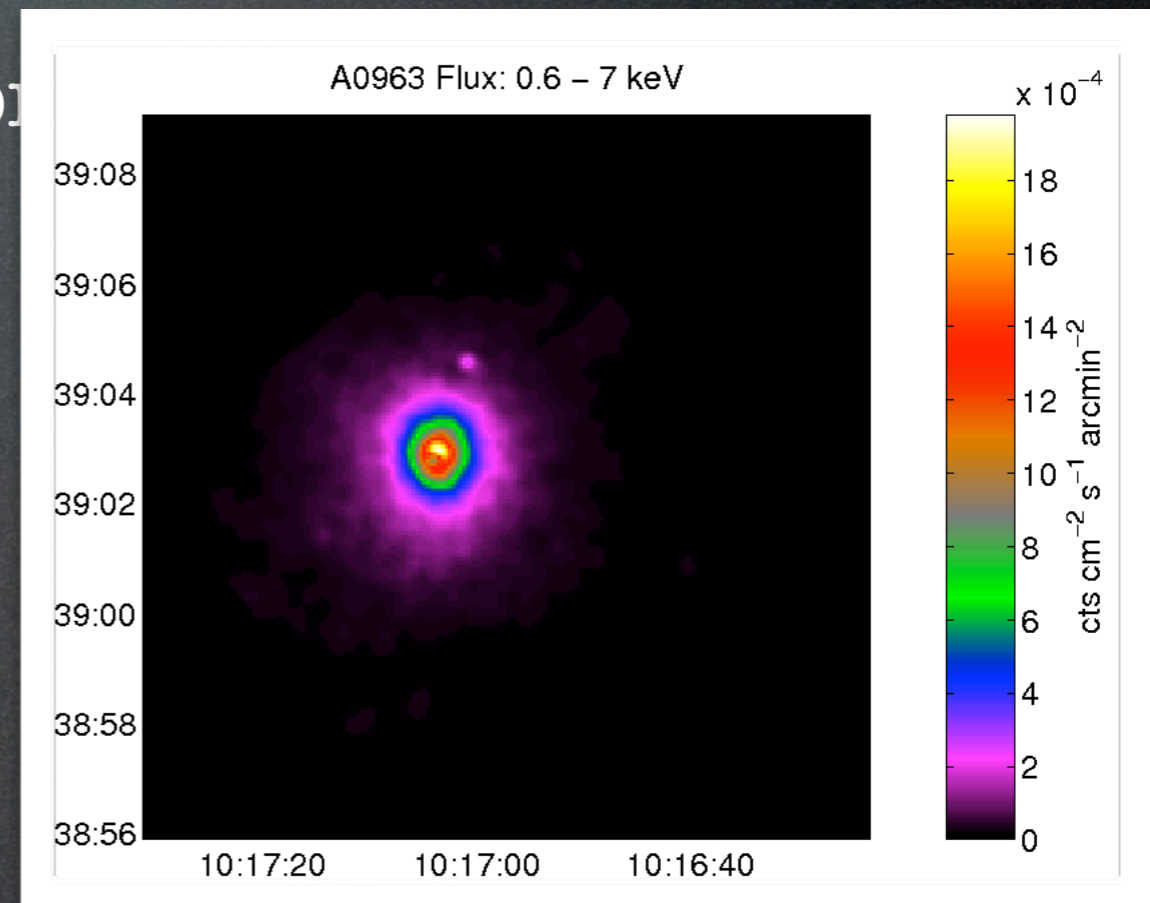


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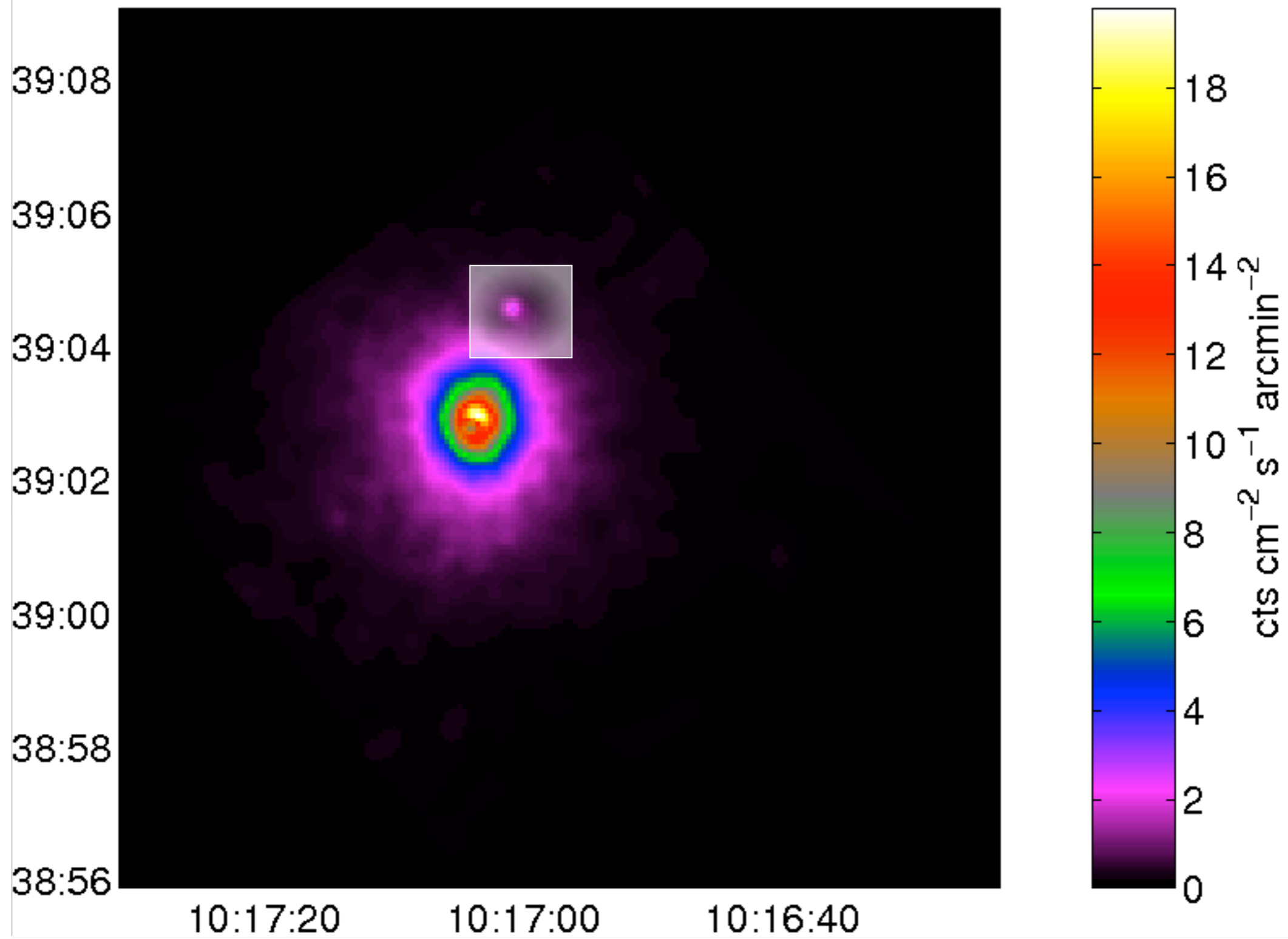
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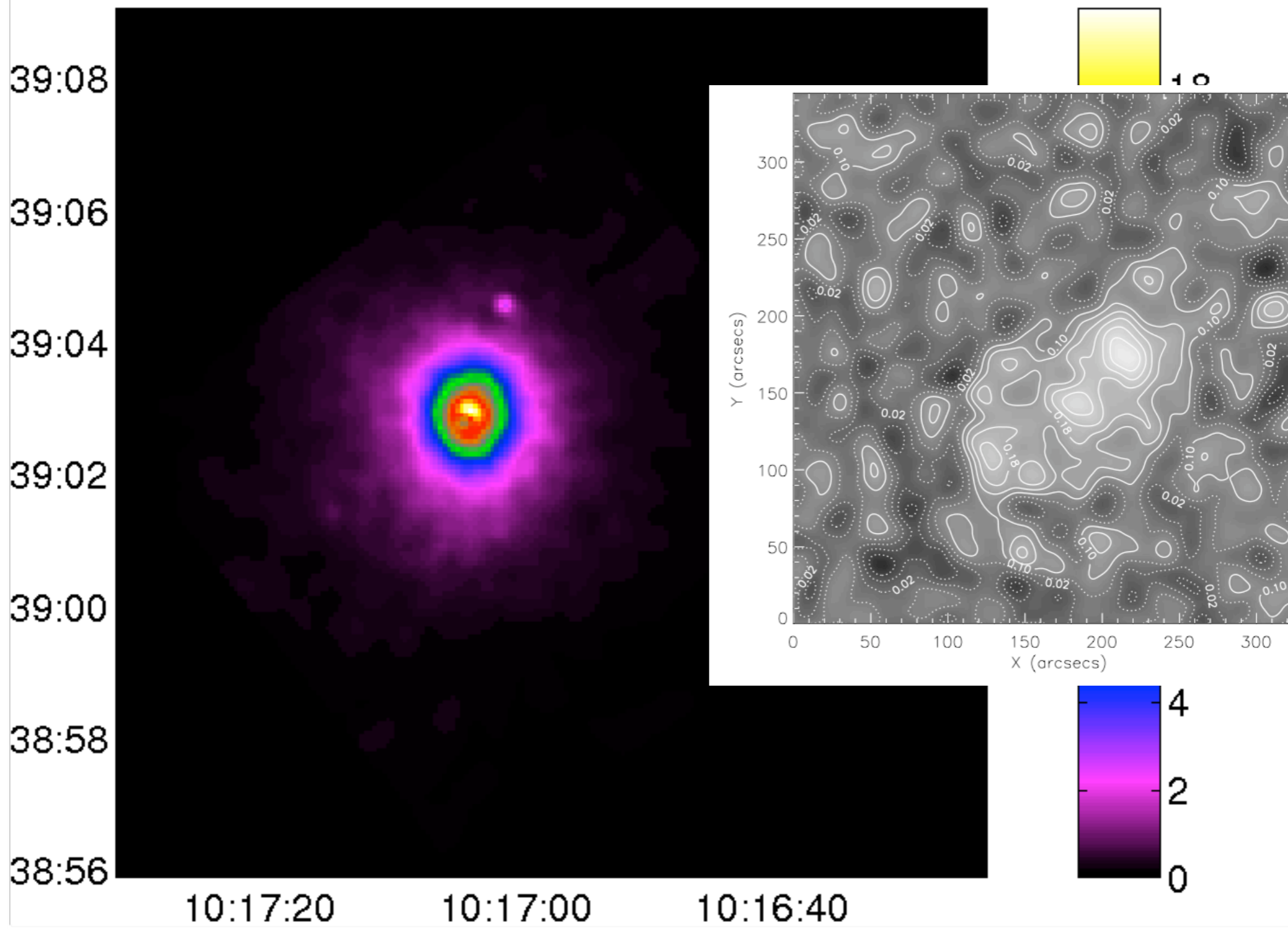


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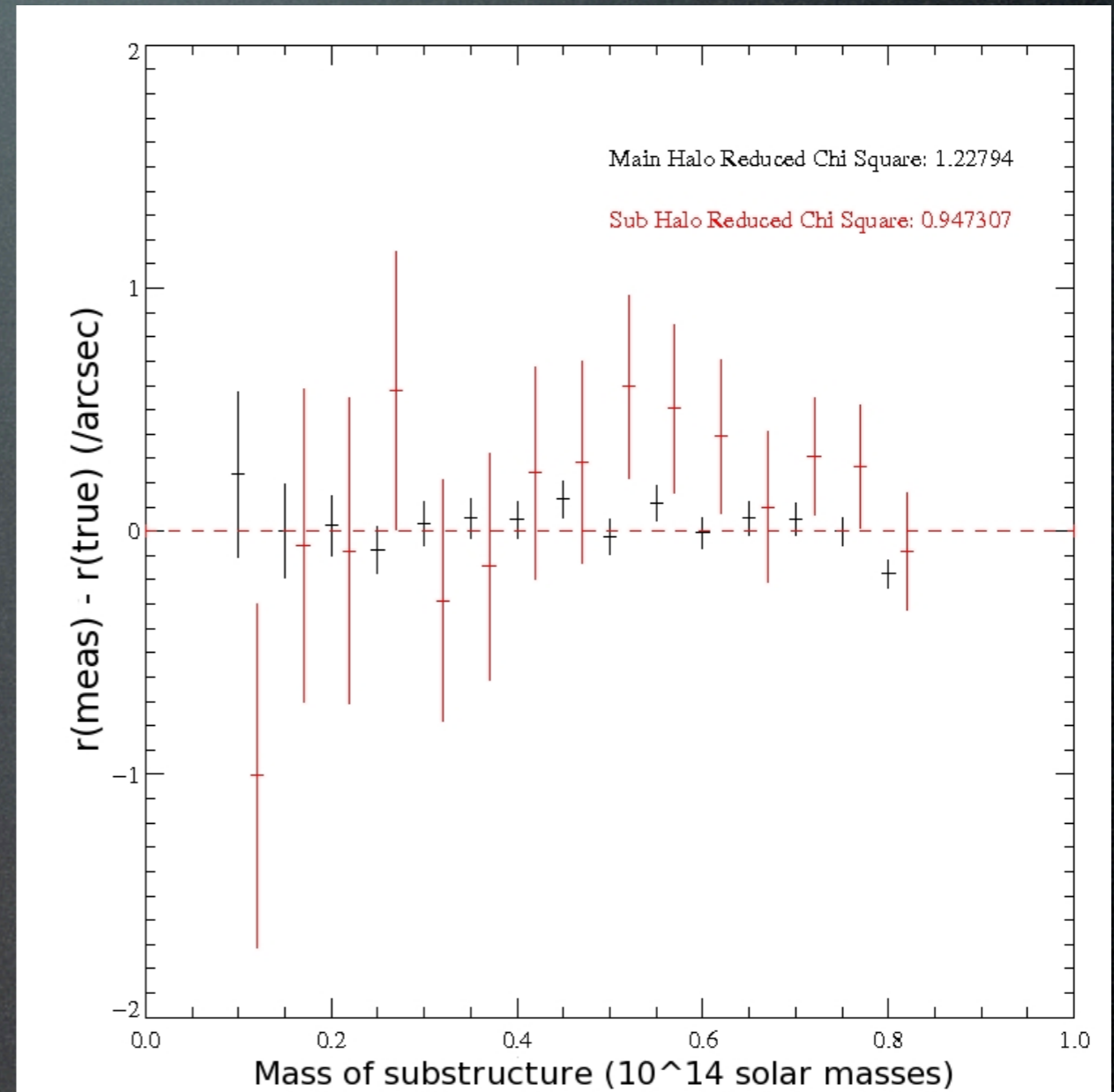
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- Reconstruction requirement for Bulleticity
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  - ★ Mass estimate is not needed!
- Analytic simulations:
  - Assumption of sub dominant xray peak error
  - Hubble Advance Camera field of view
  - Galaxy density : 80 galaxies / sq.arc min
  - 2 Body NFW Halo configuration
  - Given Mass:Concentration relation
  - Source galaxies redshift of 1



# Potential Systematics

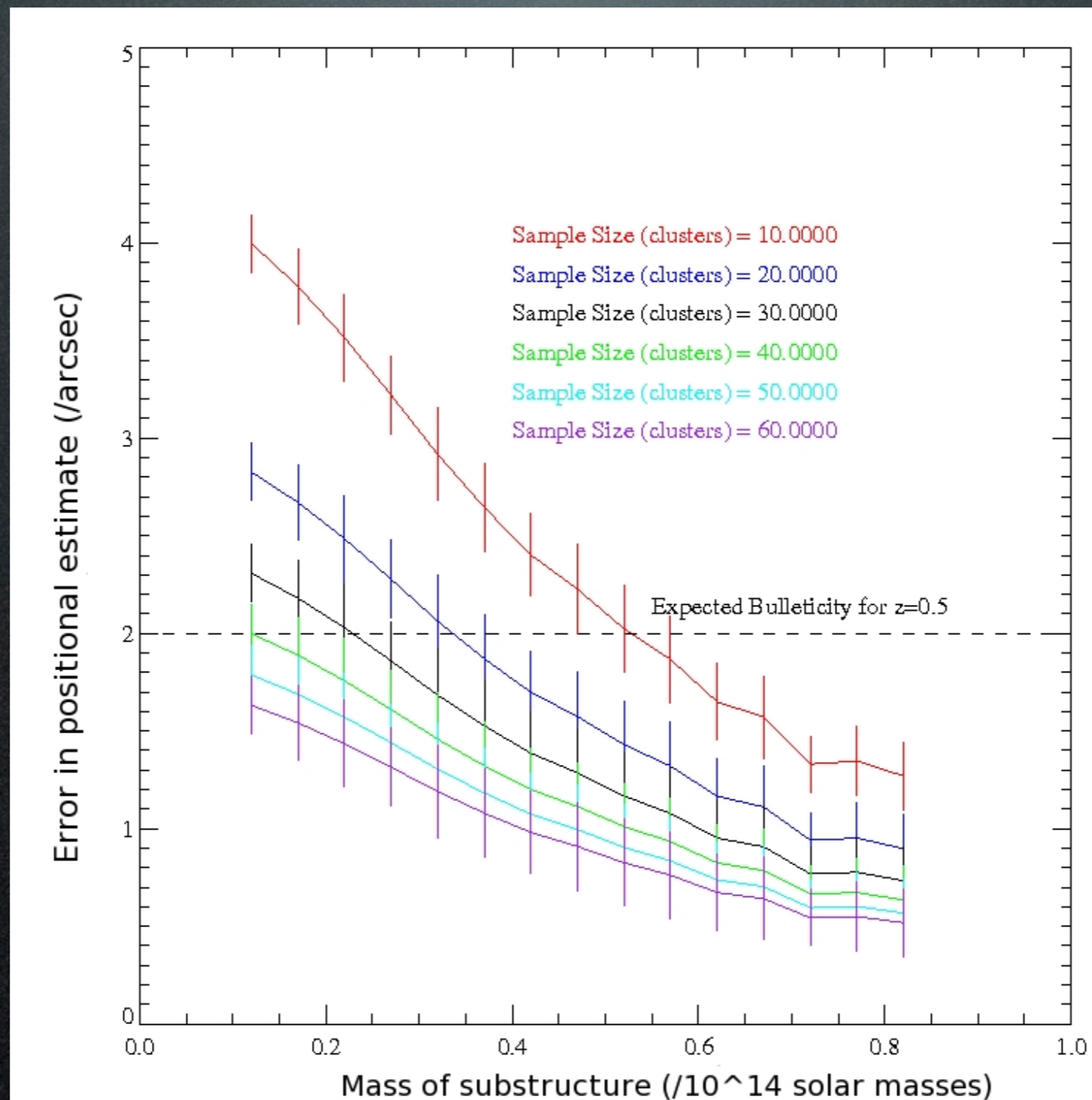
## Realism:

- ✓ Intrinsic ellipticities
- ✓ Elliptical haloes
- ✓ Shape measurement bias
- ✓ Source redshift error



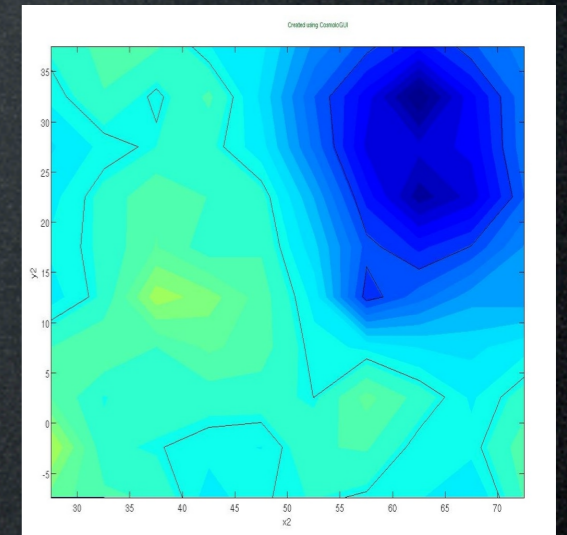
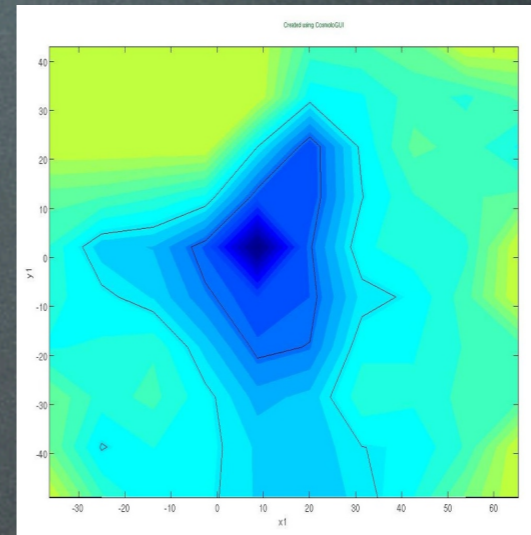
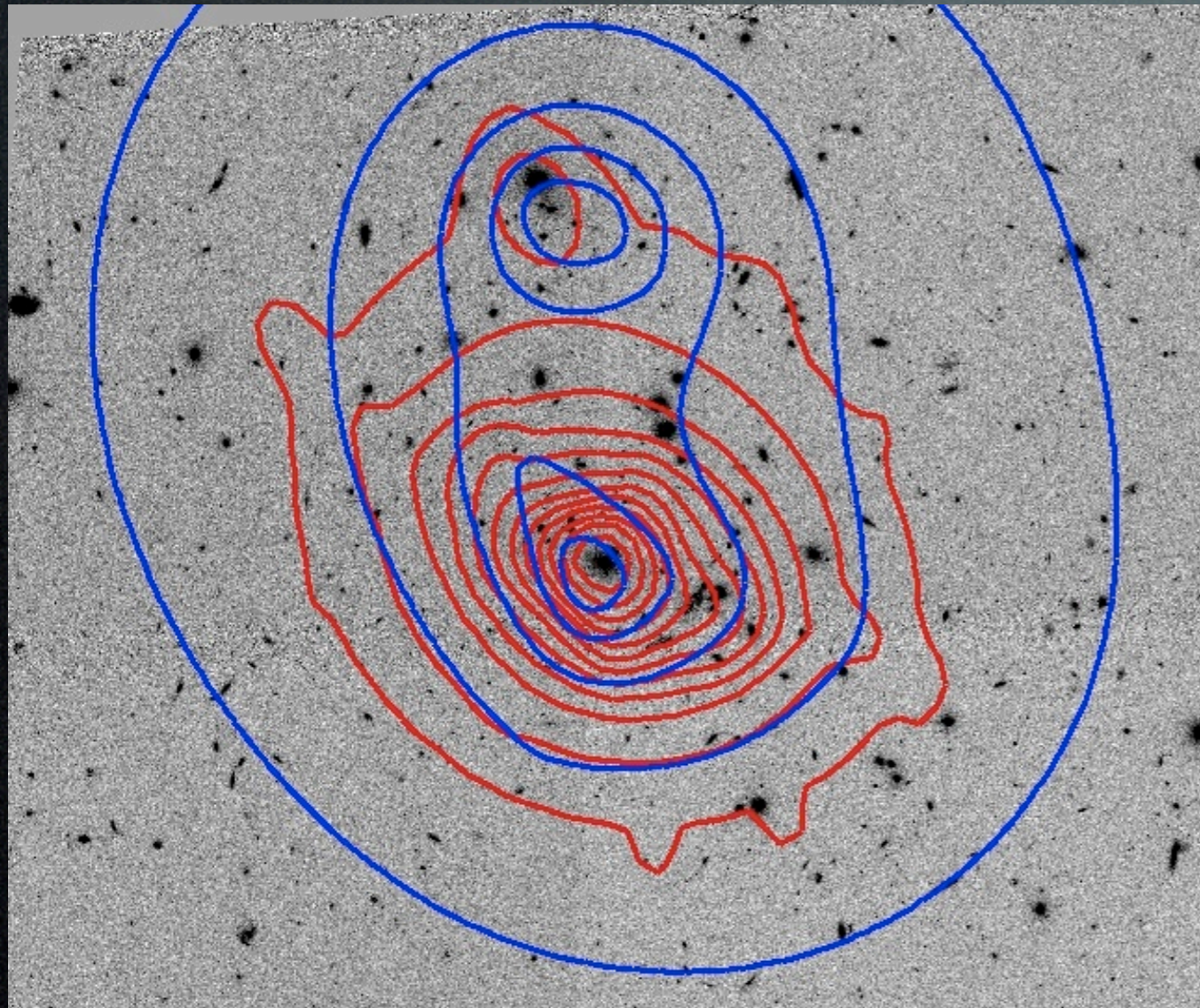


# How many clusters do I need to detect a Dark Matter offset?





# MACSJ0152



$$M_{main} = 5.2_{-1.1}^{+7.9} \times 10^{13} M_{\odot}$$

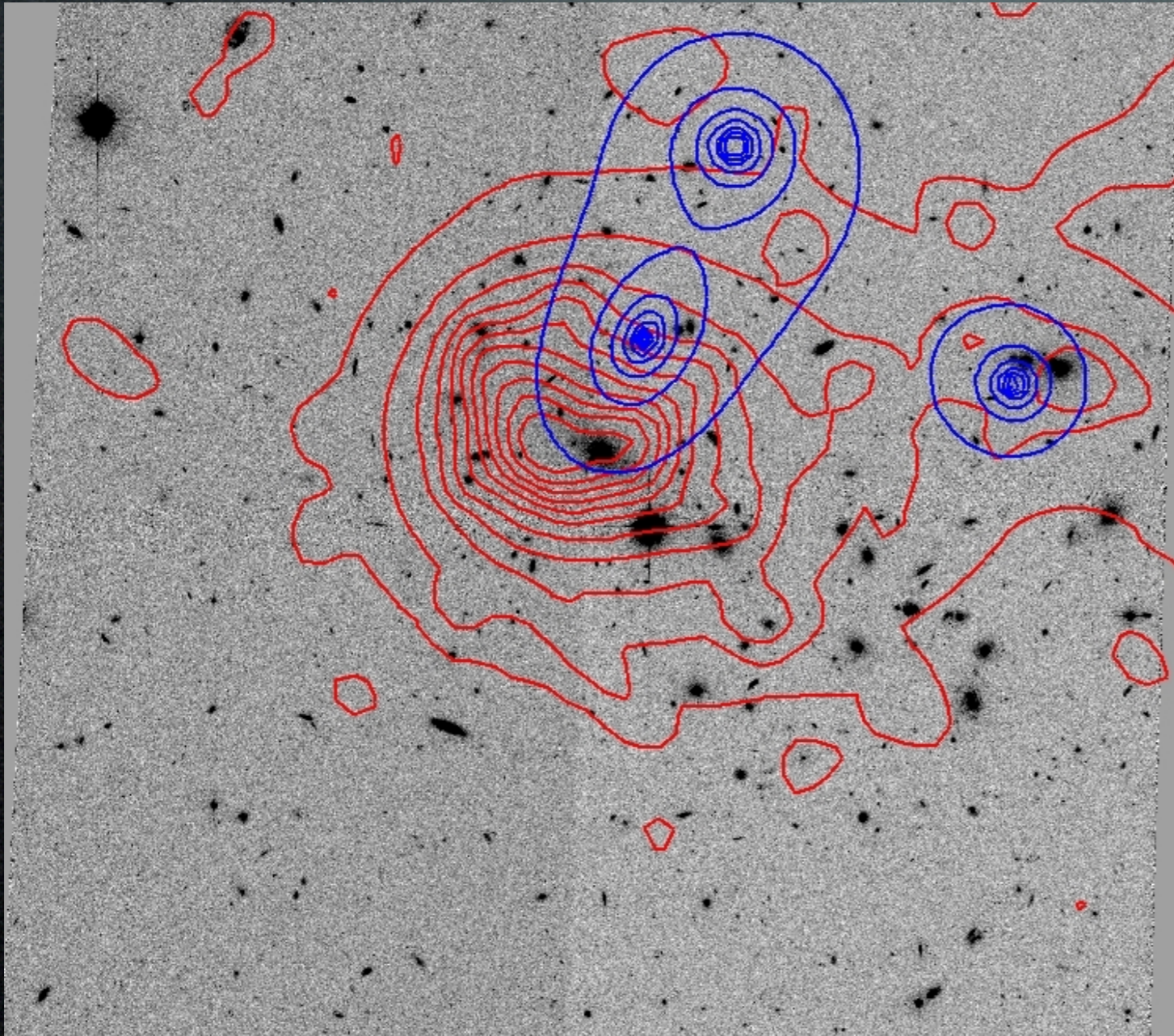
$$c_{main} = 3.2_{-0.1}^{+4}$$

$$M_{sub} = 6.8_{-1.3}^{+10.} \times 10^{13} M_{\odot}$$

$$c_{sub} = 2.8_{-0.09}^{+3.2}$$



# MACSJ1006



$$M_{central} = 6.9_{-1.7}^{+11.2} \times 10^{13} M_{\odot}$$

$$C_{central} = 3.0_{-0.1}^{+3.4}$$

$$M_{north} = 5.6_{-1.6}^{+4.5} \times 10^{13} M_{\odot}$$

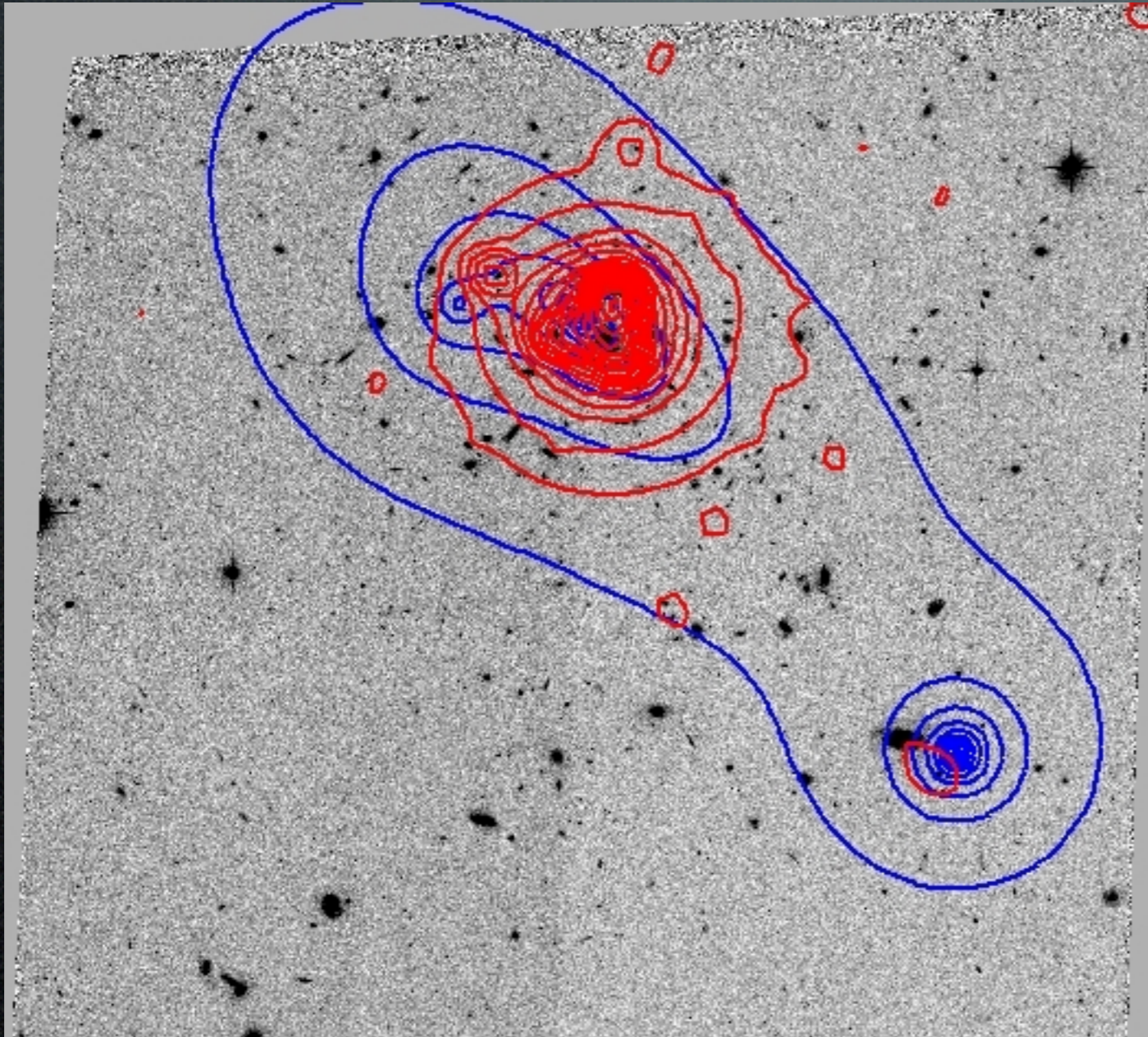
$$C_{north} = 6.8_{-3.2}^{+1.3}$$

$$M_{east} = 6.9_{-0.4}^{+12.2} \times 10^{13} M_{\odot}$$

$$C_{east} = 2.3_{-0.1}^{+2.8}$$



# SDSS1004



$$M_{central} = 9.1_{-3.9}^{+34} \times 10^{13} M_{\odot}$$

$$C_{central} = 2.6_{-0.1}^{+2.5}$$

$$M_{west} = 4.0_{-3.3}^{+9.9} \times 10^{13} M_{\odot}$$

$$C_{central} = 2.4_{-0.1}^{+2.4}$$

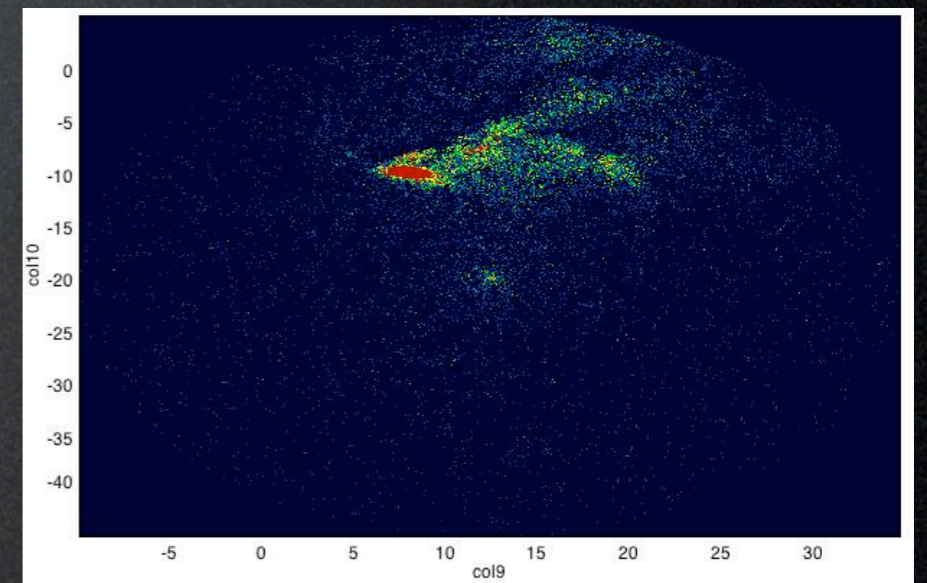
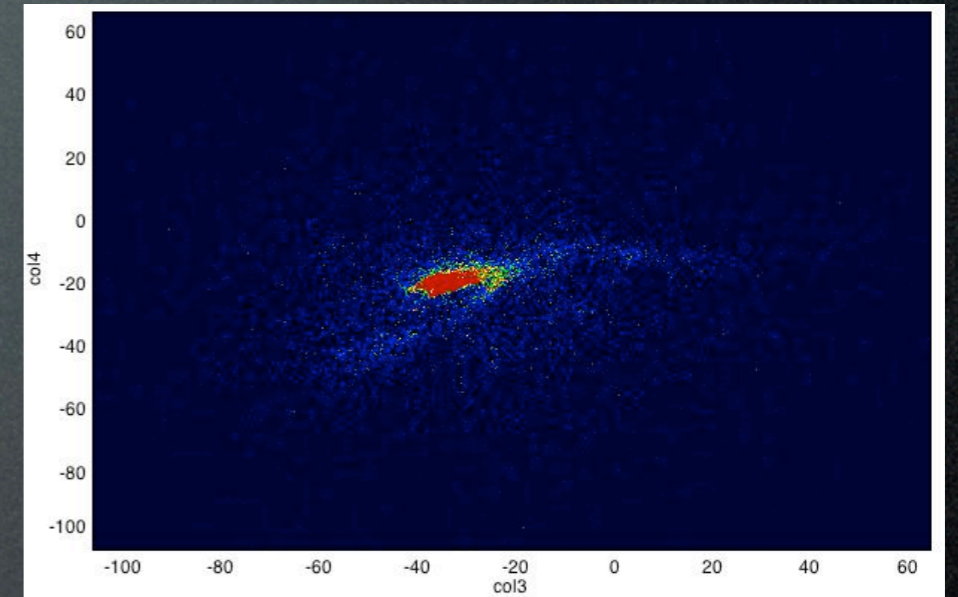
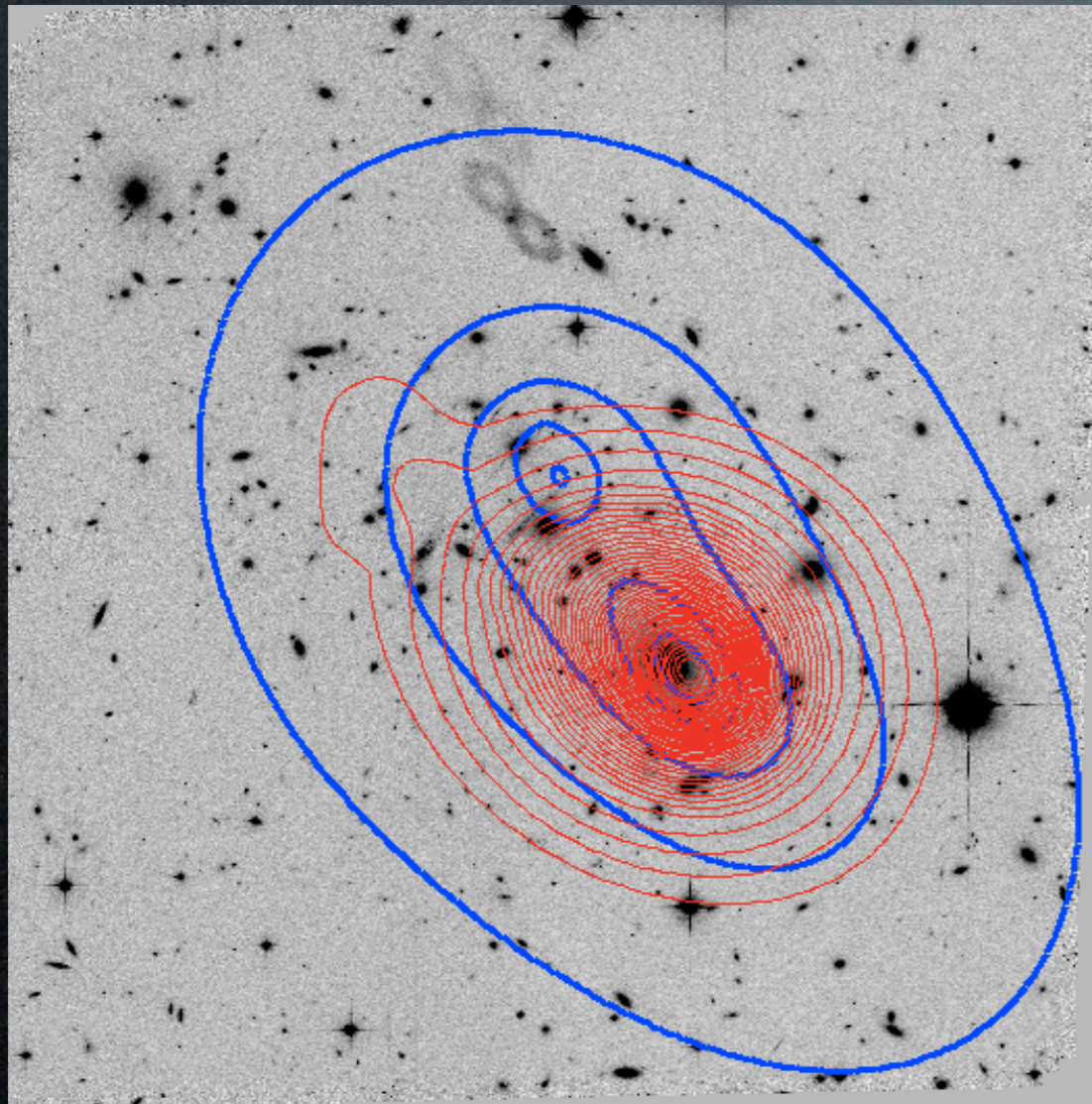
$$M_{south} = 6.6_{-1.7}^{+11} \times 10^{13} M_{\odot}$$

$$C_{south} = 3.9_{-0.2}^{+5.4}$$



# A2390: Strong + Weak Lensing

Preliminary





# Summary / Future Work



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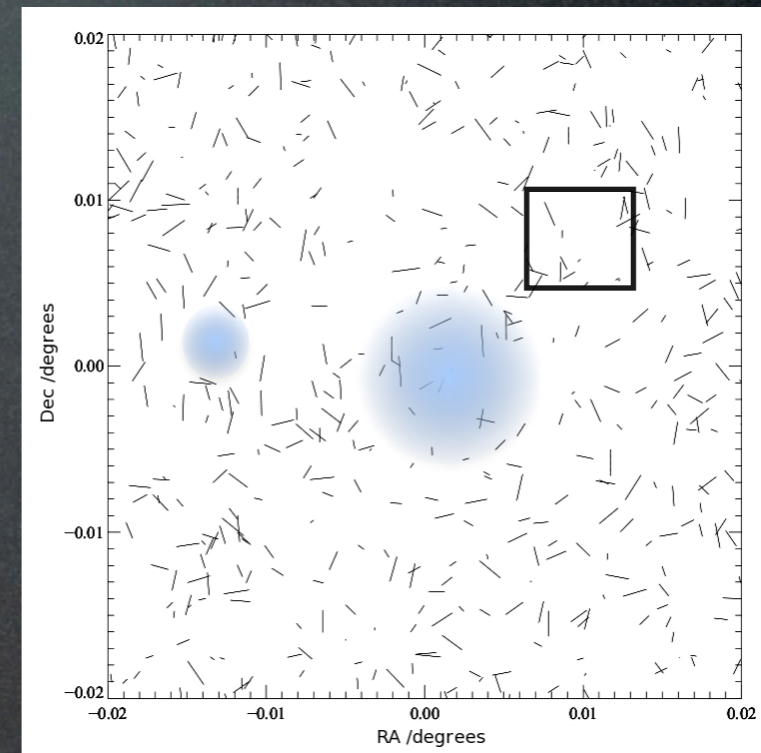
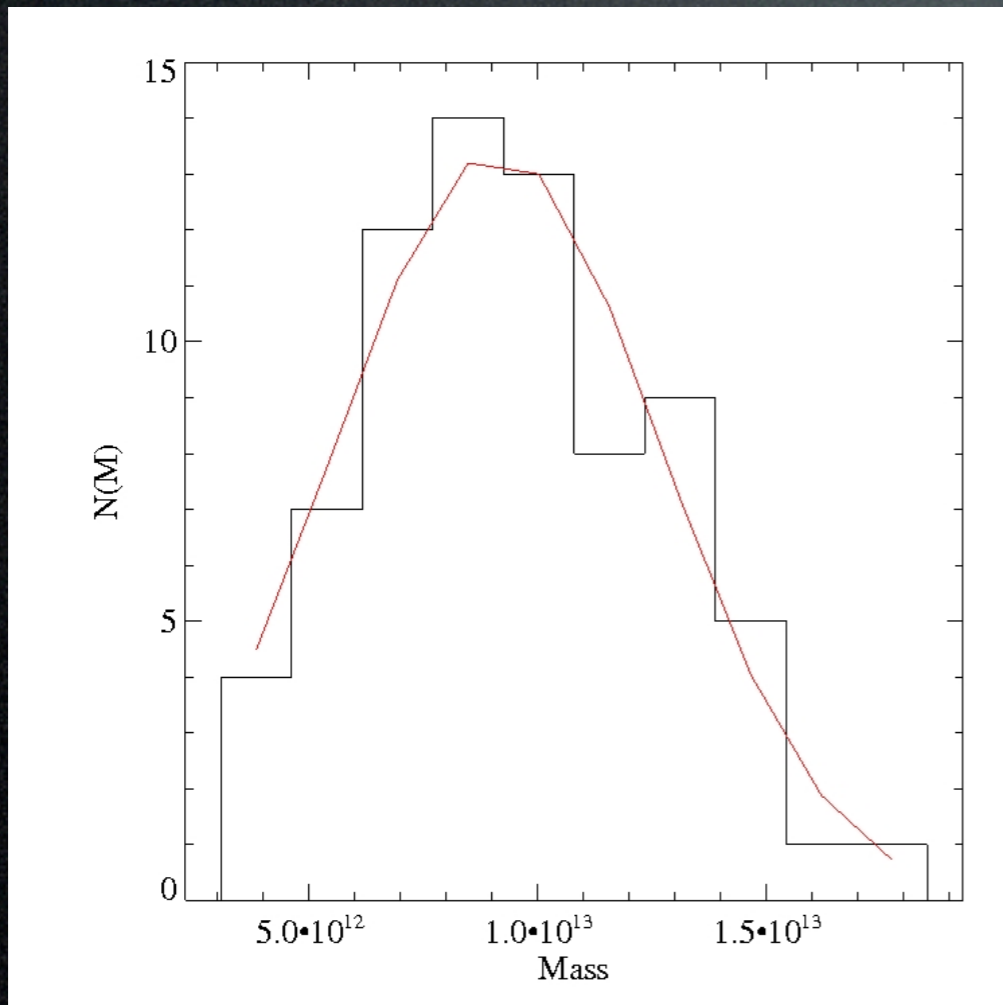
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- First applications to data using weak and strong lensing
- Sims : Add cosmic shear, multiple clumps, different profiles.
- Study more clusters!



# Problem with prior: Fake xray detection

- Assumption that all xray peaks have associated dark matter: what if it is just xray noise?
- Characteristic reconstructed mass



$$95\% = 2 \times 10^{13} M_{\odot}$$